## Algebra 2

1.4 - Linear Programming Practice 1

Name: $\qquad$
Date: $\qquad$ Per: $\qquad$

1) Farmer Joe can plant up to 8 acres of land with wheat and barley. He can earn $\$ 5000$ for every acre of wheat and $\$ 3000$ for every acre of barley. His use of necessary pesticide is limited by federal regulations to 10 gallons for his entire 8 acres. Wheat requires 2 gallons of pesticide for every acre planted and barley requires just 1 gallon per acre. How many acres of each crop should Farmer Joe plant to maximize his profit?

Define the variables:
$\mathbf{X}=$ $\qquad$
$\mathbf{Y}=$ $\qquad$

Constraints:


## Objective Function:

$\qquad$


## Critical Points:

Conclusion: $\qquad$
2) As a receptionist for a veterinarian, one of Mrs. Barkman's tasks is to schedule appointments. She allots 20 minutes for a routine office visit and 40 minutes for a surgery. The veterinarian cannot do more than 6 surgeries per day. The office has 7 hours available for appointments. If an office visit costs $\$ 55$ and most surgeries cost $\$ 125$, find a combination of office visits and surgeries that will maximize the income the veterinarian practice receives per day.

Define the variables:
$X=$ $\qquad$
$\mathbf{Y}=$ $\qquad$

Constraints:

## Objective Function:

$\qquad$
Critical Points:


Conclusion: $\qquad$
3) Bob the Builder has upgraded to the big league and now builds tool sheds. He uses 10 sheets of dry wall and 15 studs for a small shed and 15 sheets of dry wall and 45 studs for a large shed. He has available 60 sheets of dry wall and 135 studs. If Bob makes $\$ 390$ profit on a small shed and $\$ 520$ on a large shed, how many of each type of building should Bob build to maximize his profit?

Define the variables:

$$
X=
$$

$\qquad$
$\mathbf{Y}=$ $\qquad$

Constraints:

Objective Function: $\qquad$


Critical Points:

Conclusion: $\qquad$
4) An agriculture company has 80 tons of type I fertilizer and 120 tons of type II fertilizer. The company mixes these fertilizers into two products. Product $X$ requires 2 parts of type I and 1 part of type II fertilizers. Product $Y$ requires 1 part of type I and 3 parts of type II fertilizers. If each product sells for $\$ 2000$, what is the maximum revenue and how many of each product should be made and sold to maximize revenue?

Define the variables:
$X=$ $\qquad$
$\mathbf{Y}=$ $\qquad$

Constraints:


Objective Function: $\qquad$
Critical Points:

Conclusion: $\qquad$

