Algebra 2		
1.2 - Solving Systems	of Equations	Algebraically
Word Problems		

Name:	KEY	
Date:		_ Period:

Applications of Linear Systems

Learning Target: Students will be able to interpret word problems to write and solve systems of equations.

Steps:

- 1. Define two variables. Be specific about the quantity they represent.
- 2. Write a system of two equations.
- 3. Solve the system using substitution or elimination.
- 4. Use units to label both answers and check to make sure the answers make sense!

Set up a system of equations and solve.

1.) The Rocket Coaster has 15 cars, some that hold 4 people and some that hold 6 people. There is room for 72 people altogether. How many 4-passenger cars are there? How many 6-passenger cars are there?

$$X = 4$$
-passenger cass $X + y = 15$ $\rightarrow -4x - 4y = -60$ $X + 6 = 15$
 $y = 6$ -passenger cass $4x + 6y = 72 \rightarrow 4x + 6y = 72$ $X = 9$
Nine 4 -passenger cass $2y = 12$
 $51x = 6$

2.) Tickets to the Valentine Dance cost \$3 per person or \$5 per couple. If \$475 worth of tickets were sold and 180 people attended the dance, how many couples were there?

$$X = 1001010414$$
 $X + y = 160$
 $y = 0000000$ $3x + 5y = 475$

3.) Pi High School ordered 40 science books. The next week, the school ordered 30 algebra books. The bill for the first order was \$360 greater than the bill for the second order. The two bills together totaled \$3960. Find the price of an algebra book.

book.
$$40x = 30y + 360$$

 $y = 2^{-6}$ ORDER $40x + 30y = 3960$

4.) To raise money for new uniforms, the band boosters sell t-shirts and hats. The cost of each t-shirt is \$6.00 and the cost for the hat is \$4.00. The boosters spend a total of \$2,000 on t-shirts and hats. The selling prices of the t-shirts are \$10.00 and the selling prices of the hats are \$7.00. They sell all of the merchandise and their revenue is \$3375. How many t-shirts and hats did they sell?

$$t = t - shiers$$
 $6t + 4H = 2000$
 $H = HATS$ $10t + 7H = 3375$

5.) Calvin has \$8.80 in pennies and nickels. If there are twice as many nickels as pennies, how many pennies does Calvin have? How many nickels?

$$P = PENNIES . 01P + .05N = 8.60 . 01P + .05(2P) = 9.60$$

$$N = NICHELS . 01P + .10P = 8.60$$

$$N = 2P . 01P + .10P = 8.60$$

$$N = 8.60$$

$$P = 80 . N = 2(60)$$

$$N = 160$$

6.) A total of 78 seats for a concert are sold, producing a total revenue of \$483. If seats cost either \$2.50 or \$10.50, how many \$2.50 seats and how many \$10.50 seats were sold?

7.) You enroll in a book club in which you can earn bonus points to use towards the purchase of books. Each paperback book you order cost \$6.95 and earns you 2 bonus points. Each hardcover book costs \$19.95 and earns you 4 bonus points. The first order you place comes to a total of \$60.75 and earns you 14 bonus points. How many of each type of book did you order?

$$P = PAPER BACK BOOK$$
 $6.95P + 19.95H = 60.75$
 $1 = HARDCOVER BOOK$
 $1 = 14 \rightarrow P = -2H + 7$
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 $1 = 1$

8.) Using only 34-cent stamps and 20-cent stamps, Peggy put \$3.52 postage on a package. She used twice as many 34-cent stamps as 20-cent stamps. Determine how many of each type of stamp she used.

$$X = 34$$
-CENT STAMPS $.34X + .20y = 3.52$ $.34(2y) + .20y = 3.52$
 $y = 20$ -SENT STAMPS $X = 2y$ $.68y + .20y = 3.52$
 $X = 2(4)$ $X = 2(4)$

- 9.) The graph below was made to compare the coasts of renting copy machines from Company A and from Company B. What information is given by the point of intersection of the two lines.
- A. The number of copies from which the fixed per-month charge is equal to the cost of copies
- B. The price per copy for renting a copier from both companies
- C. The fixed per-month charge for renting a copier from both companies
- D. The number of copies for which the total cost per month is the same for both companies

